# **Fun stuff for beginning**

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- **n** mean radius of the earth

 $R = 6.371 \cdot 10^6$  m

**n** mean gravity (we need to make wrong but justified assumption that this value is not changing with height)  $\bar{q} = 9.81 \,\mathrm{m\,s^{-2}}$ 

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m_{atm} = \frac{\bar{p} \cdot 4\pi R^2}{g}
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- **E** barometric height scale (we could treat whole atmosphere as homogenous layer of that height)  $H = 8 \cdot 10^3$  m
- **mean radius of the earth**  $R = 6.371 \cdot 10^6$  m
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# **Barometric formula**

$$
dp = -\rho g dh
$$
  

$$
pV = RT
$$
 Clapeyron formula

$$
p=p_0e^{-\frac{\rho_0 g}{p_0}h}
$$

